



MEMORY EFFICIENT VLSI MODULAR USING 2-D DWT BASED ON LIFTING METHOD

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ABSTRACT:

In this paper, we tend to review recent developments in VLSI architectures and algorithms for economical implementation of lifting primarily based Discrete Wavelet Transform (DWT). The fundamental principle behind the lifting primarily based theme is to decompose the finite impulse response (FIR) filters in wave rework into a finite sequence of easy filtering steps. Lifting primarily based DWT implementations have several benefits, and have recently been projected for the JPEG2000 customary for compression. Consequently, this has become a district of active analysis and a number of other architectures are projected in recent years. During this paper, we offer a survey of those architectures for each 1-dimensional and 2-dimensional DWT and lifting 2D-DWT was implemented on Spartan # FPGA using System C Coding.

Keywords:2-DWT;VHDL;Microblaze;EDK Tool; Lifting method.

1. INTRODUCTION:

The Discrete Wavelet Transform (DWT) has become a very versatile signal process tool over the last decade. In fact, it's been effectively employed in signal and image process applications ever since Mal lab[1] planned the multiresolution illustration of signals based on rippling decomposition. The advantage of DWT over alternative ancient transformations is that it performs multiresolution analysis of signals with localization both in time and frequency. The DWT is being increasingly used for compression nowadays since it supports options like progressive image transmission (by quality, by resolution), easy compressed image manipulation, region of interest writing, etc. In fact, it is the premise of the new JPEG2000 compression standard that has

been shown to possess superior performance compared to the present JPEG commonplace [2].

DWT has historically been enforced by convolution or FIR filter bank structures. Such implementations require each an outsized variety of arithmetic computations and an outsized storage—features that are not fascinating for either high speed or low

power image/video process applications. Recently, a new mathematical formulation for moving ridge transformation has been projected by Swelden [3] supported abstraction construction of the wavelets and a awfully versatile theme for its factorisation has been instructed in [4]. This new

approach is termed the lifting-based moving ridge rework or simply lifting. the most feature of the lifting-based DWT theme is to interrupt up the high-pass and low-pass wavelet filters into a sequence of higher and lower triangular matrices, and convert the filter implementation into banded matrix multiplications [4]. This theme often needs way fewer computations compared to the convolution primarily based DWT [3, 4] and offers several different advantages, as delineated later in Section a pair of. The popularity of lifting-based DWT has triggered the development of many architectures in recent years. These architectures vary from extremely parallel architectures to programmable DSP-based architectures to pleated architectures. during this paper we tend to present a survey of those architectures. we offer a systematic derivation of those architectures and commenton their hardware and timing requirements.

WAVELET TRANSFORM:

Wavelets are mathematical functions defined over a finite interval and having an average value of zero that transform data into different frequency components, representing each component with a resolution matched to its scale.

The basic idea of the wavelet transform is to represent any arbitrary function as a superposition of a set of such wavelets or basis functions. These basis functions or baby wavelets are obtained from a single prototype wavelet called the mother wavelet, by dilations or contractions (scaling) and translations (shifts). They have advantages over traditional Fourier methods in analyzing physical situations where the signal contains discontinuities and sharp spikes. Many new wavelet applications such as image compression, turbulence, human vision, radar, and earthquake prediction are developed in recent years. In wavelet transform the basis functions are wavelets. Wavelets tend to be irregular and symmetric. All wavelet functions, $w(2kt - m)$, are derived from a single mother wavelet, $w(t)$.

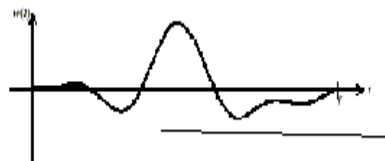
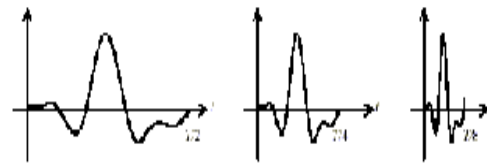


Fig. 1 Mother wavelet $w(t)$

Normally it starts at time $t = 0$ and ends at $t = T$. The shifted wavelet $w(t - m)$ starts at $t = m$ and ends at $t = m + T$. The scaled wavelets $w(2kt)$ start at $t = 0$ and end at $t = T/2k$. Their graphs are $w(t)$ compressed by the factor of $2k$ as shown in Fig. 3.3. For example, when $k = 1$, the wavelet is shown in Fig 3.3 (a). If $k = 2$ and 3, they are shown in (b) and (c), respectively.



(a) $w(2t)$ (b) $w(4t)$ (c) $w(8t)$

Fig. 2. Scaled wavelets

The wavelets are called orthogonal when their inner products are zero. The smaller the scaling factor is, the wider the wavelet is. Wide wavelets are comparable to low-frequency sinusoids and narrow wavelets are comparable to high-frequency sinusoids.

2-D TRANSFORM HEIRARCHY :

The 1-D wavelet transform can be extended to a two-dimensional (2-D) wavelet transform using separable wavelet filters. With separable filters the 2-D transform can be computed by applying a 1-D transform to all the rows of the input, and then repeating on all of the columns.

LL1	HL1
LH1	HH1

Fig. 3 : Subband Labeling Scheme for a one level, 2-D Wavelet Transform

The original image of a one-level ($K=1$), 2-D wavelet transform, with corresponding notation is shown in Fig. 3.13. The example is repeated for a three-level ($K =3$) wavelet expansion in Fig. 5. In all of the discussion K represents the highest level of the decomposition of the wavelet transform.

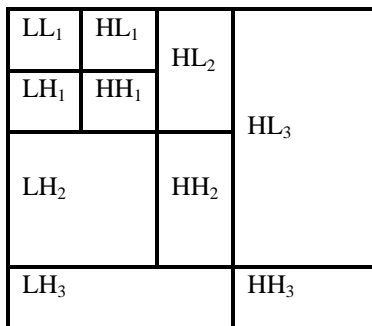


Fig. 4 Subband labeling Scheme for a Three Level, 2-D Wavelet Transform

The 2-D subband decomposition is just an extension of 1-D subband decomposition. The entire process is carried out by executing 1-D subband decomposition twice, first in one direction (horizontal), then in the orthogonal (vertical) direction. For example, the low-pass subbands (L_i) resulting from the horizontal direction is further decomposed in the vertical direction, leading to LL_i and LH_i subbands.

Similarly, the high pass subband (Hi) is further decomposed into HL_i and HH_i . After one level of transform, the image can be further decomposed by applying the 2-D subband decomposition to the existing LL_i subband. This iterative process results in multiple “transform levels”. In Fig. 3.14 the first level of transform results in LH_1 , HL_1 , and HH_1 , in addition to LL_1 , which is further decomposed into LH_2 , HL_2 , HH_2 , LL_2 at the second level, and the information of LL_2 is used for the third level transform. The subband LL_i is a low-resolution subband and high-pass subbands LH_i , HL_i , HH_i are horizontal, vertical, and diagonal subband respectively since they represent the horizontal, vertical, and diagonal residual information of the original image. An example of three-level decomposition into subbands of the image CASTLE is illustrated

DWT and Lifting Implementation

In ancient convolution (filtering) primarily based approach for computation of the forward DWT, the signal (x) is filtered individually by a low-pass filter (\tilde{h}) and a high-pass filter (\tilde{g}). the 2 output streams area unit then sub-sampled by merely dropping the alternate output samples in every stream to provide the low-pass (y_L) and high-pass (y_H) subband outputs as shown in Fig. 1. The two filters (\tilde{h} , \tilde{g}) kind the analysis filter bank. The original signal will be reconstructed by a synthesis filter bank (h, g) ranging from y_L and y_H as shown in Fig. 1. Given a distinct signal $x(n)$, the output signals $y_L(n)$ and $y_H(n)$ in Fig. one will be computed as follows

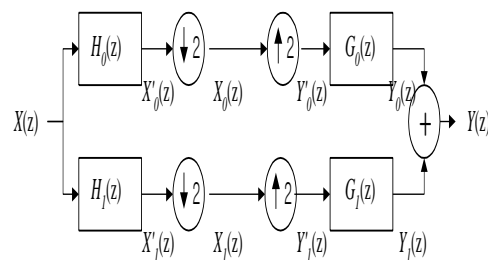


Fig 5: Block Diagram of Lifting DWT

EXPERIMENTAL SETUP

A. Xilinx Platform Studio

The Xilinx Platform Studio (XPS) is the development environment or GUI used for designing the hardware portion of your embedded processor system. B. Embedded Development Kit Xilinx Embedded Development Kit (EDK) is an integrated software tool suite for developing embedded systems with Xilinx MicroBlaze and PowerPC CPUs. EDK includes a variety of tools and applications to assist the designer to develop an embedded system right from the hardware creation to final implementation of the system on an FPGA. System design consists of the creation of the hardware and software components of the embedded processor system and the creation of a verification component is optional. A typical embedded system design project involves: hardware platform creation, hardware platform verification (simulation), software platform creation, software application creation, and software verification. Base System Builder is the wizard that is used to automatically generate a hardware platform according to the user specifications that is defined by the MHS (Microprocessor Hardware Specification) file. The MHS file defines the system architecture, peripherals and embedded processors]. The Platform Generation tool

creates the hardware platform using the MHS file as input. The software platform is defined by MSS (Microprocessor Software Specification) file which defines driver and library customization parameters for peripherals, processor customization parameters, standard 110 devices, interrupt handler routines, and other software related routines. The MSS file is an input to the Library Generator tool for customization of drivers, libraries and interrupts handlers.

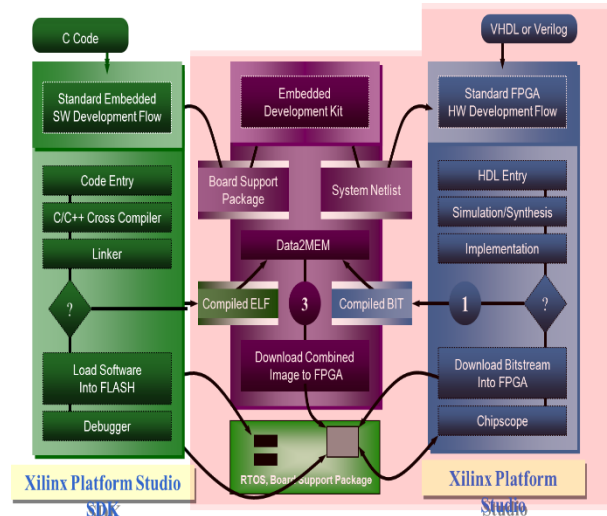


Figure6: Embedded Development Kit Design Flow

The creation of the verification platform is optional and is based on the hardware platform. The MHS file is taken as an input by the Simgen tool to create simulation files for a specific simulator. Three types of simulation models can be generated by the Simgen tool: behavioral, structural and timing models. Some other useful tools available in EDK are Platform Studio which provides the GUI for creating the MHS and MSS files. Create / Import IP Wizard which allows the creation of the designer's own peripheral and import them into EDK projects. Platform Generator customizes and generates the processor system in the form of hardware netlists. Library Generator tool configures libraries, device drivers, file systems and interrupt handlers for embedded processor system. Bitstream Initializer tool initializes the instruction memory of processors on the FPGA shown in figure2. GNU Compiler tools are used for compiling and linking application executables for each processor in the system [6]. There are two options available for debugging the application created using EDK namely: Xilinx Microprocessor Debug (XMD) for debugging the application software using a Microprocessor Debug Module (MDM) in the embedded processor system, and Software Debugger that invokes the software debugger corresponding to the compiler being used for the processor.

C. Software Development Kit Xilinx Platform Studio Software Development Kit (SDK) is an integrated development environment, complimentary to XPS, that is used for C/C++ embedded software application creation and verification. SDK is built on the Eclipse opensource framework. Soft Development Kit (SDK) is a suite of tools that enables you to design a software application for selected Soft IP Cores in the Xilinx Embedded Development Kit (EDK).The software application can be written in a "C or C++" then the complete embedded processor system for user application will be completed, else debug & download the bit file into FPGA. Then FPGA behaves like processor implemented on it in a Xilinx Field Programmable Gate Array (FPGA) device.

Results:

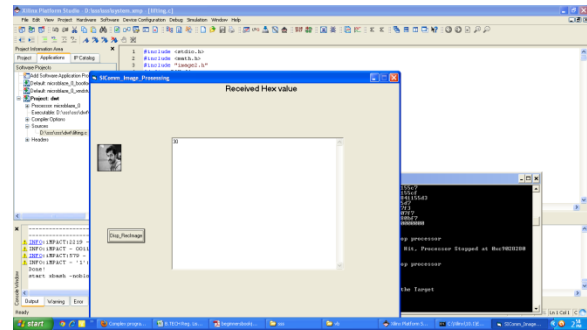


Fig7: Input Image read through VB Screen

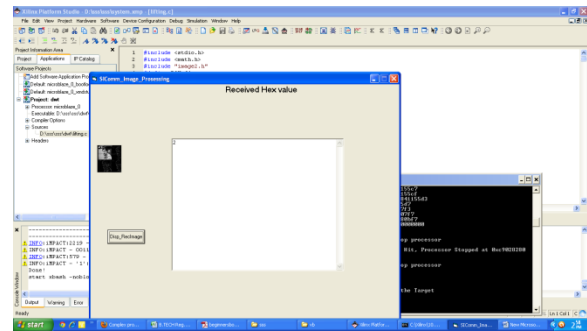


Fig8: DWT Image

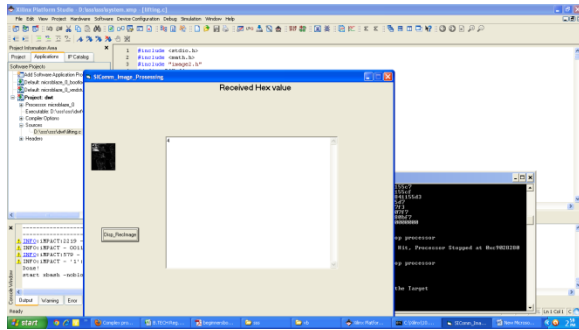


Fig9: 3 level 2D-Dwt Image

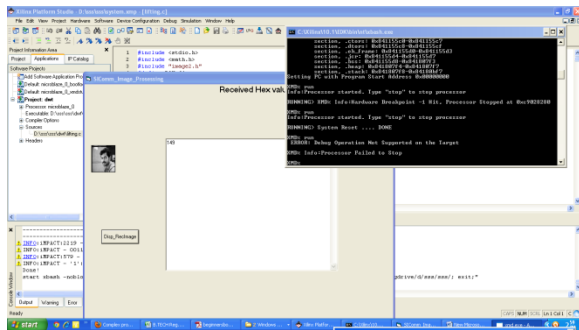


Fig 10: Original reconstructed after Inverse DWT

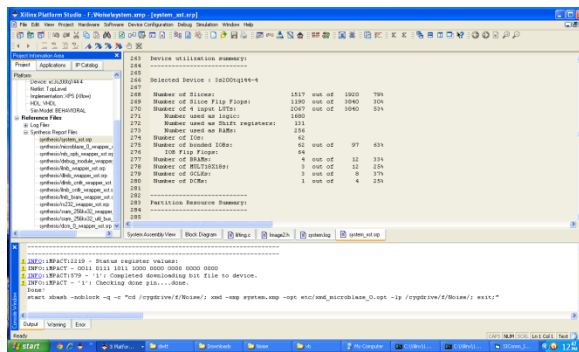


Fig 11: Synthesis Report

Future Scope: Memory Efficient VLSI Modular can be designUsing 3-D DWT Based On Lifting method.It gives the memory efficient and hispeed VLSI modular for throughput.This is also reduces the output time.

Conclusion:

This paper presented an approach towards VLSI mplementation of the lifting based Discrete WaveletTransform (DWT) for image compression. Lifting based DWT implementations have many advantages, and have recently been proposed for the JPEG2000 standard for image compression.

Consequently, this has become an area of active research and several architectures have been proposed in recent years. In this paper, we provide a architectures for 2-dimensional DWT. The architectures are representative of many design styles and range from highly parallel architectures. Here a DWT-based reconfigurable system is designed using the EDK tool. Hardware architectures of two dimensional (2-D) DWT have been implemented as a coprocessor in an embedded system. In addition, the hardware cost of this architecture is compared for benchmark images. This type of work using EDK can be extended to other applications of embedded system.

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